

Interest Rates, Market Power, and Financial Stability

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Introduction (i)

- Question: **How do interest rates affect financial stability?**
 - Focus on risk-taking by financial intermediaries (banks)
 - Using simple theoretical model
 - Based on “Search for Yield” (ECTA 2017)

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 - **What happens when we introduce market power?**

Introduction (ii)

- Why do safe rates affect banks' risk-taking?
 - Safe rates affect banks' funding costs
 - Impact on loan rates and intermediation margins

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 - Safe rates affect banks' funding costs
 - Impact on loan rates and intermediation margins
- When monitoring incentives depend on intermediation margins
 - Impact on loans' probability of default

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- Why do safe rates affect banks' risk-taking?
 - Safe rates affect banks' funding costs
 - Impact on loan rates and intermediation margins
- When monitoring incentives depend on intermediation margins
 - Impact on loans' probability of default
- Why is competition relevant?
 - It affects **pass-through** of funding costs to loan rates
 - It affects margins and monitoring incentives

Introduction (iii)

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 - Real factors (savings glut)
 - Monetary policy

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- Model is silent about what drives changes in safe rates
 - Real factors (savings glut)
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- Analyze effect of exogenous changes in (real) safe rates

Model setup

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- Banks monitor borrowers – **moral hazard**
 - Monitoring reduces probability of default of loans
 - Monitoring is costly and unobserved by investors

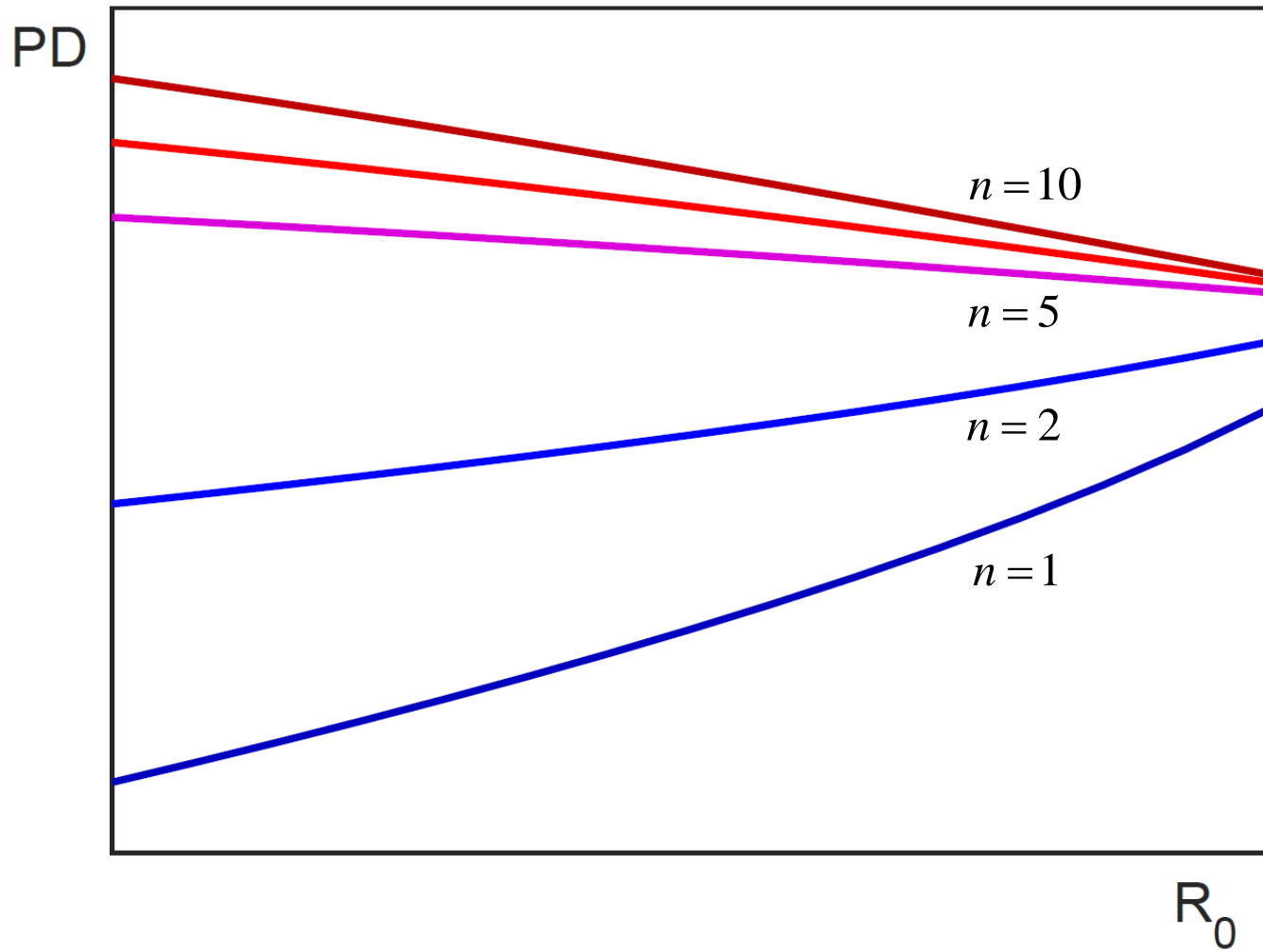
Main result

- Lower safe rates lead to
 - Higher risk-taking in competitive environments (high n)
 - Lower risk-taking in monopolistic environments (low n)

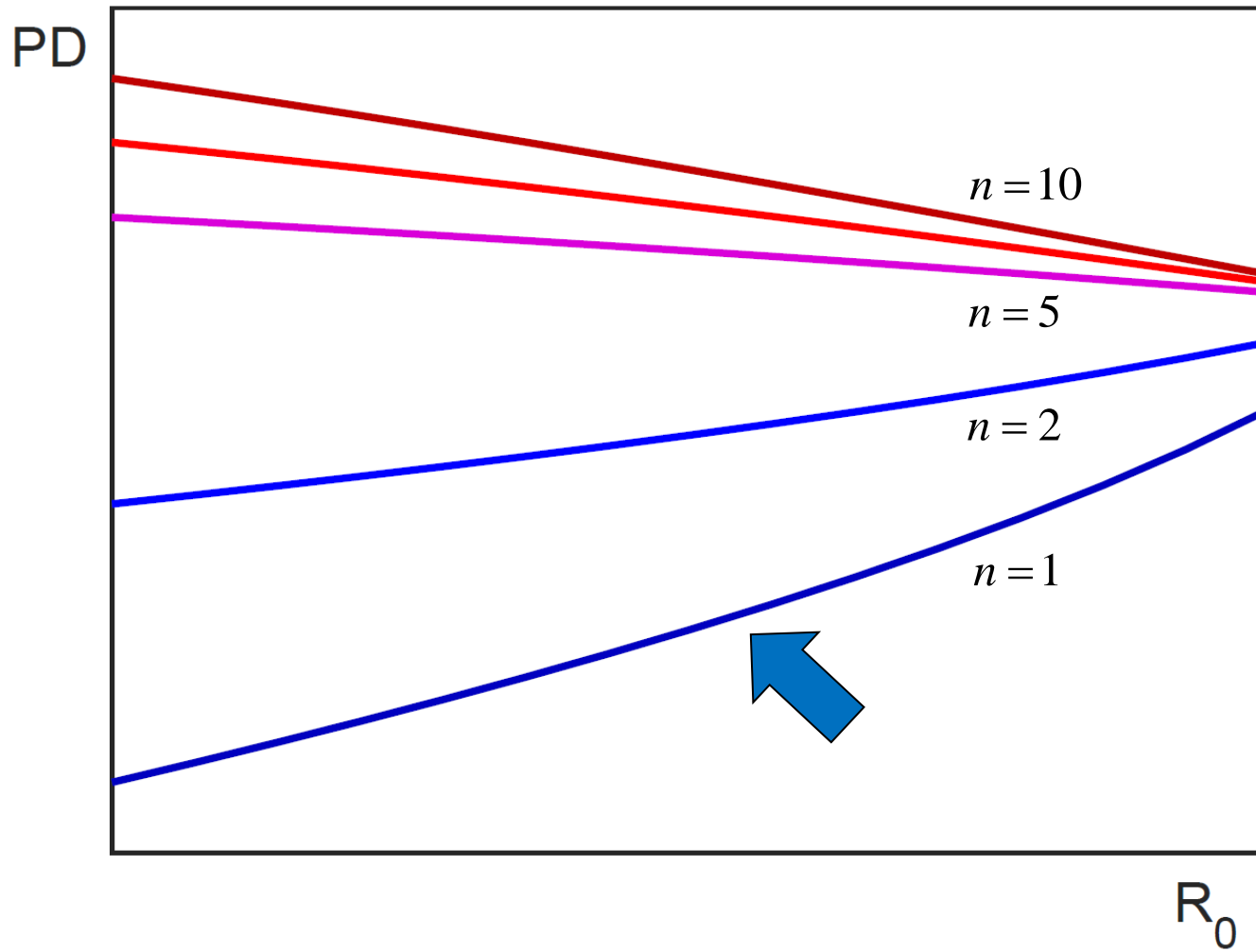
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- Risk-taking channel of monetary policy reverses sign
 - When banks have significant market power

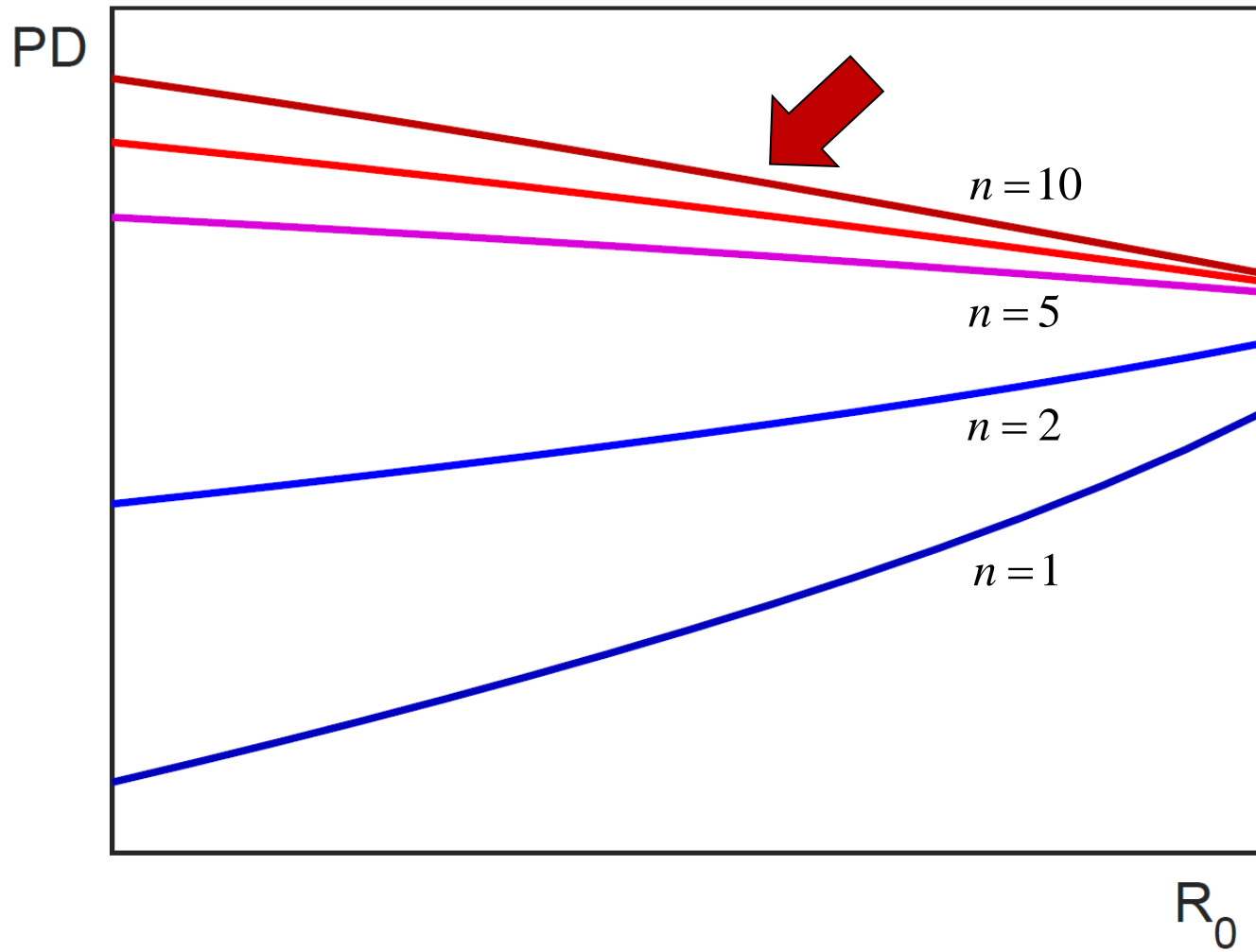
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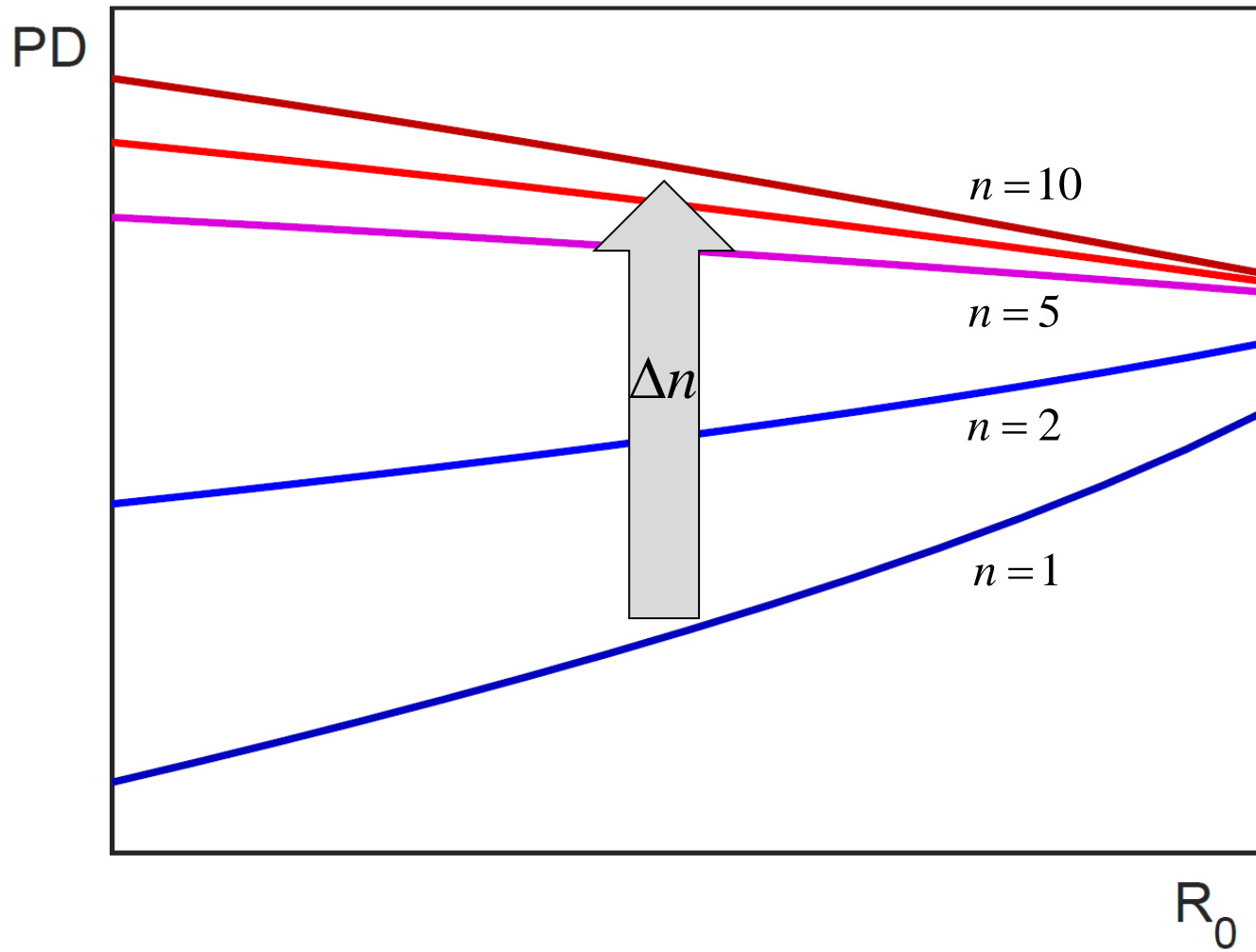
Positive slope in monopolistic environments



Negative slope in competitive environments



Higher risk in competitive environments



Suggestive evidence (i)

- Sensitivity of loan rates and intermediation margins to
 - Changes in Fed funds rate
 - For different deciles of banks' market power

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→ Parameter of interest β_i

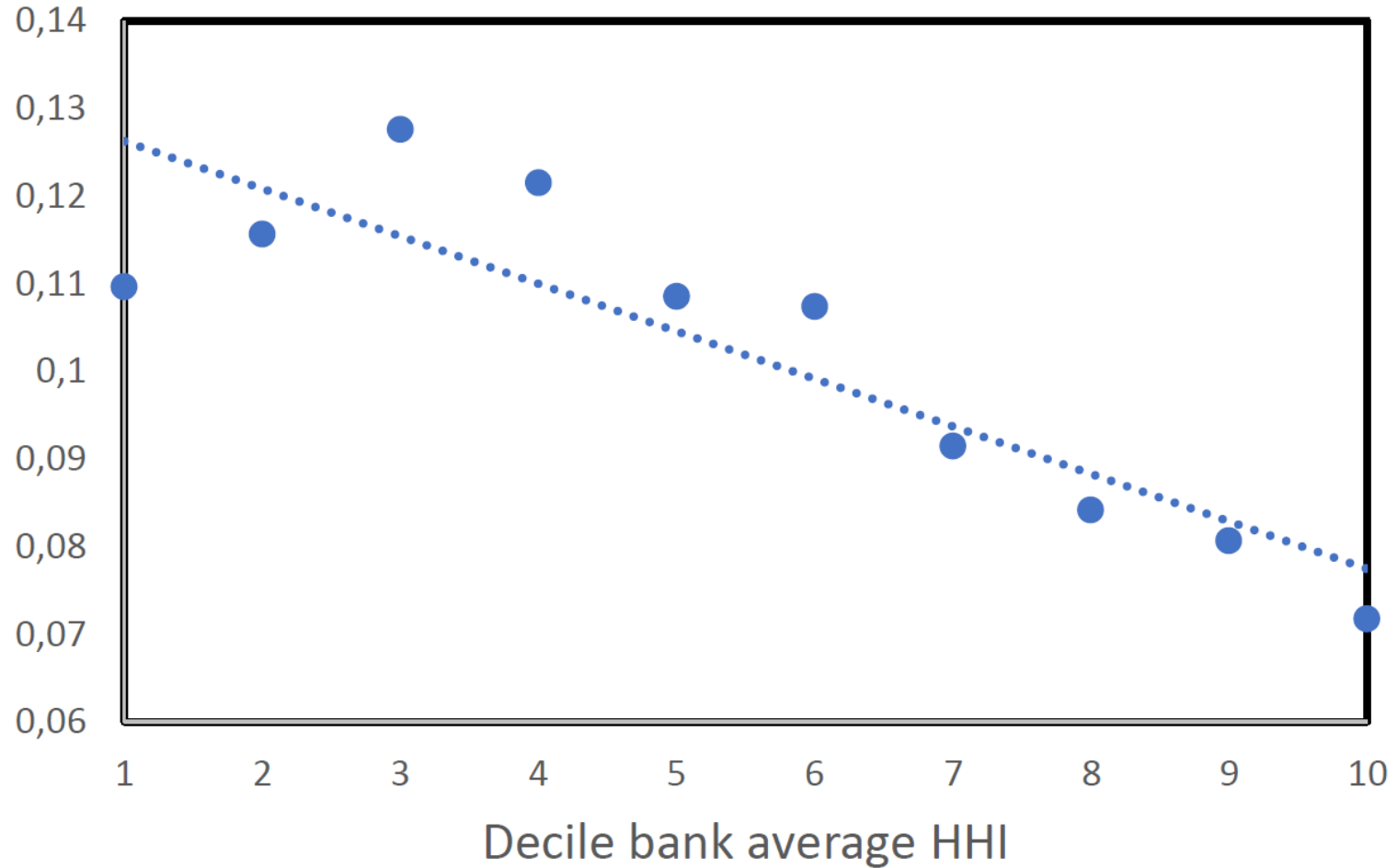
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- Data on loan rates and intermediation margins
 - Call Reports for 1994-2019

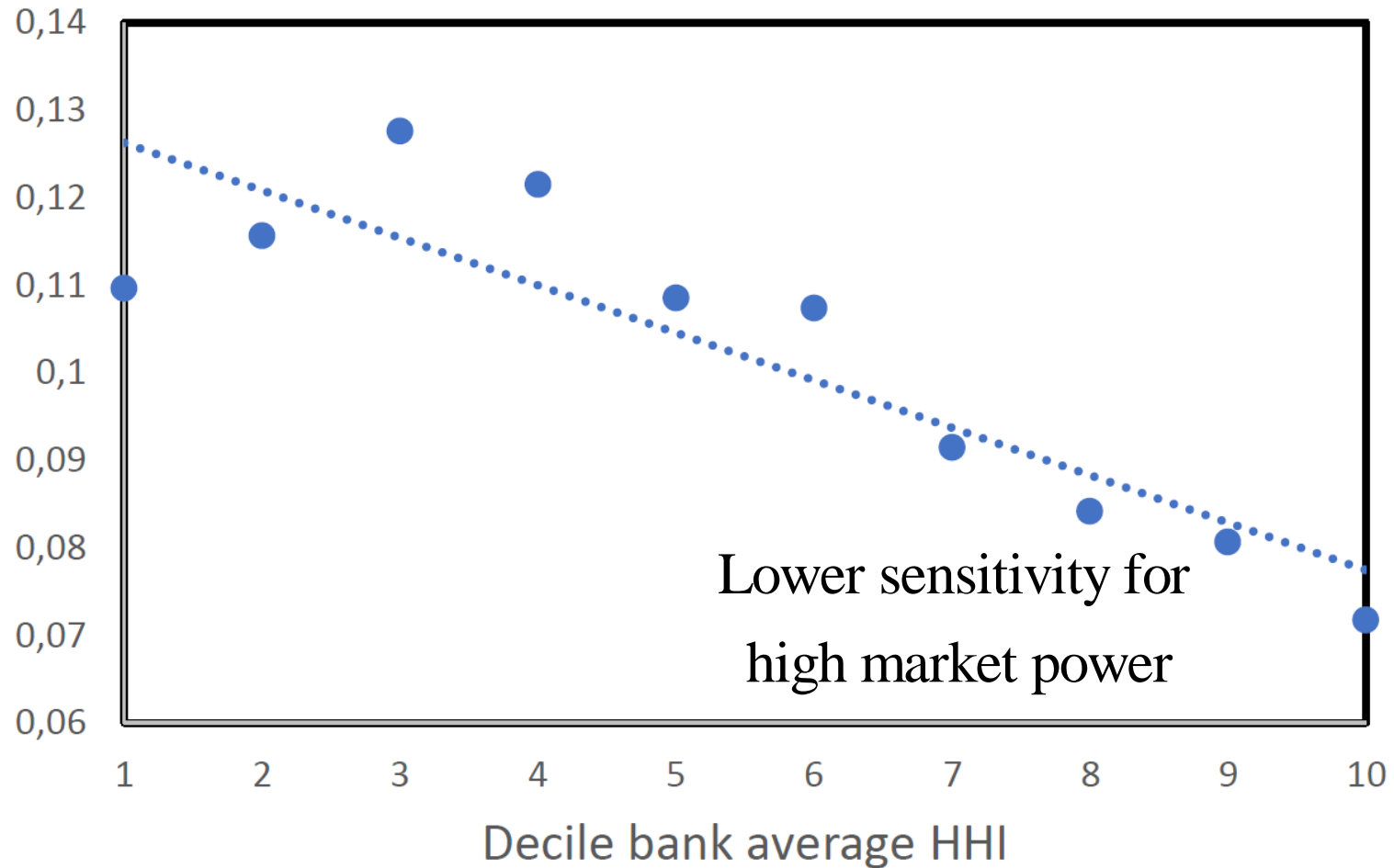
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- Data on loan rates and intermediation margins
 - Call Reports for 1994-2019
- Data on banks' market power
 - New mortgages originated by banks in each county
 - County level HHI for each year
 - Weighted average of county HHIs for each bank
 - Simple average for each bank in all years of the sample

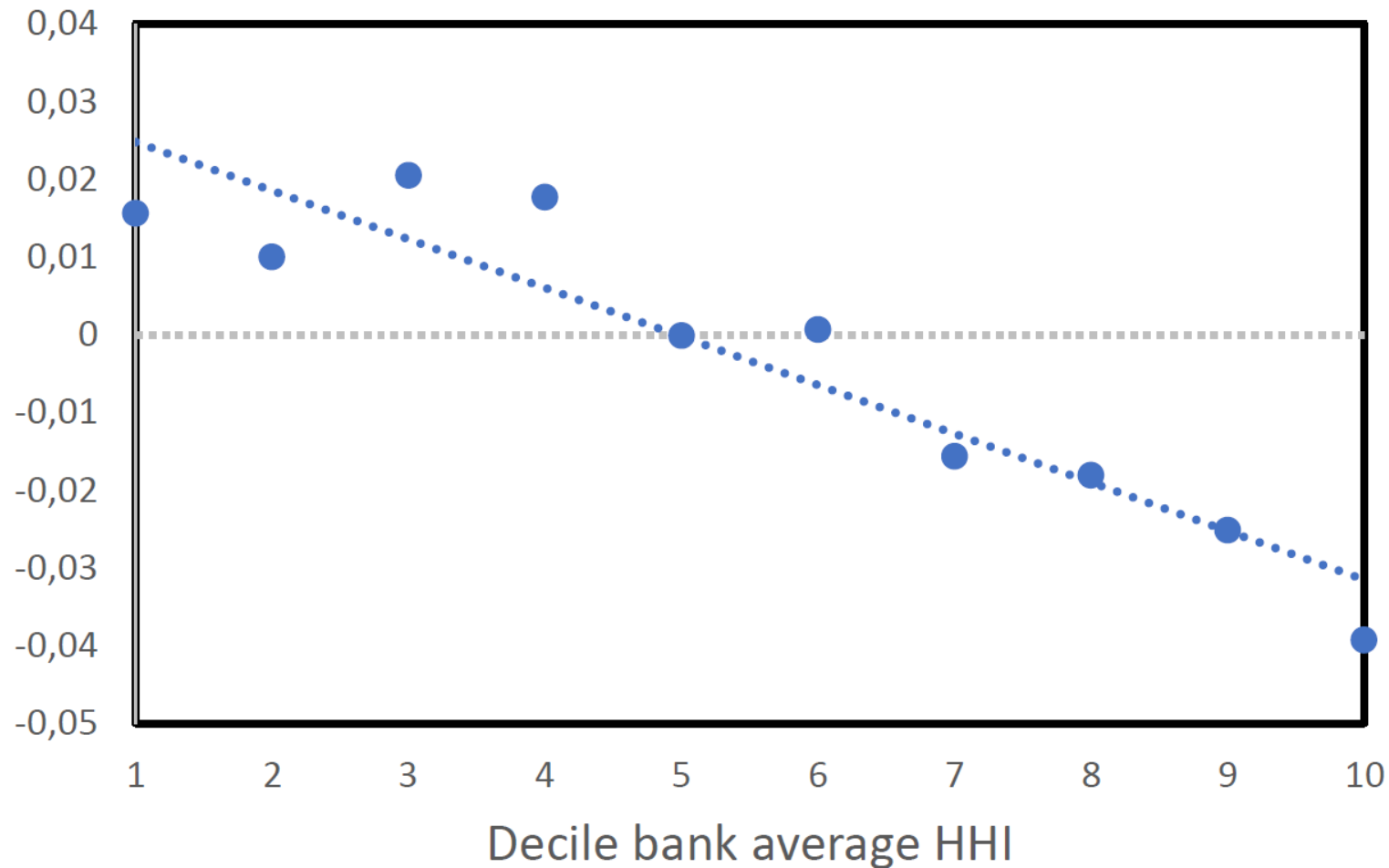
Sensitivity of loan rates to FF rate



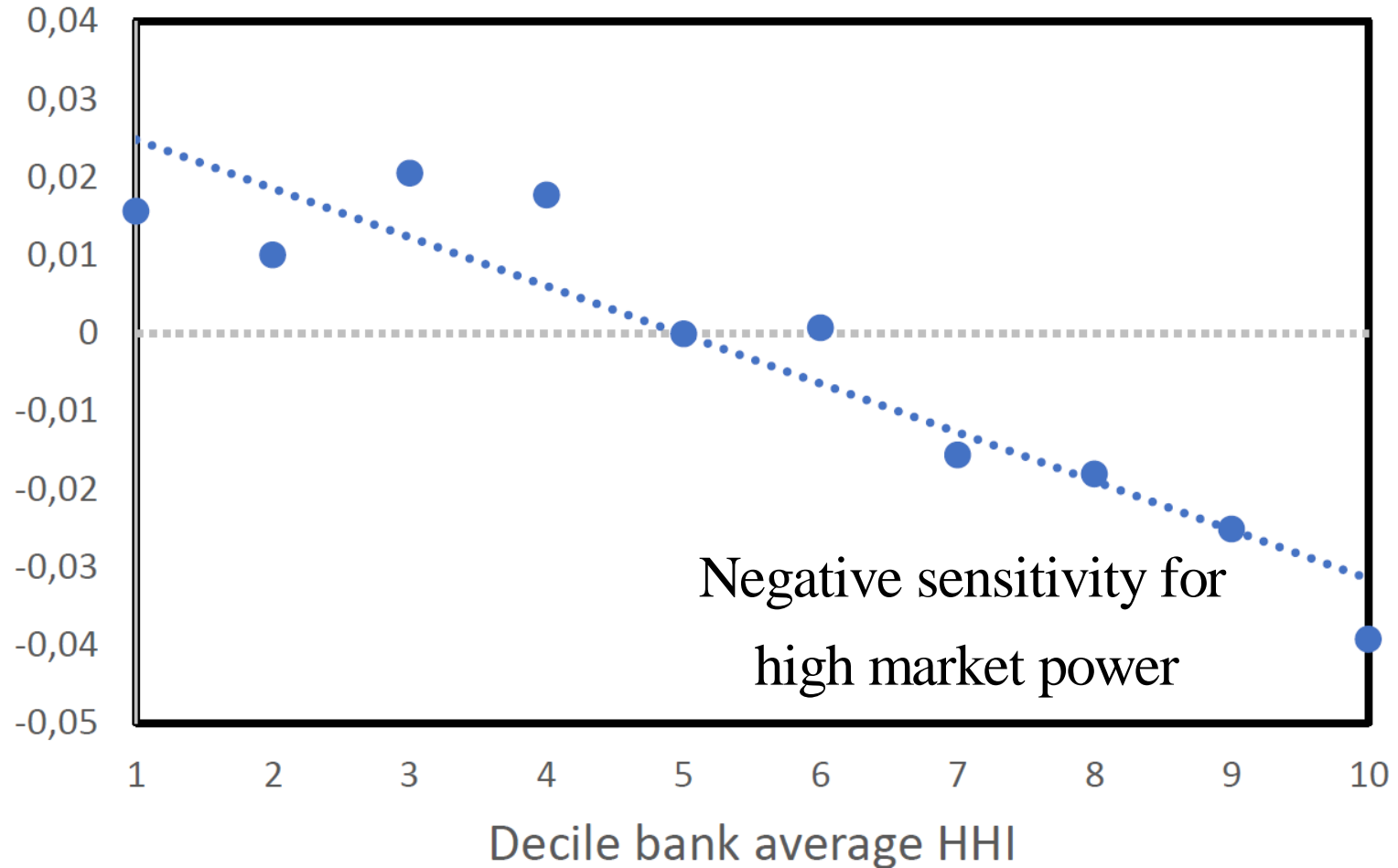
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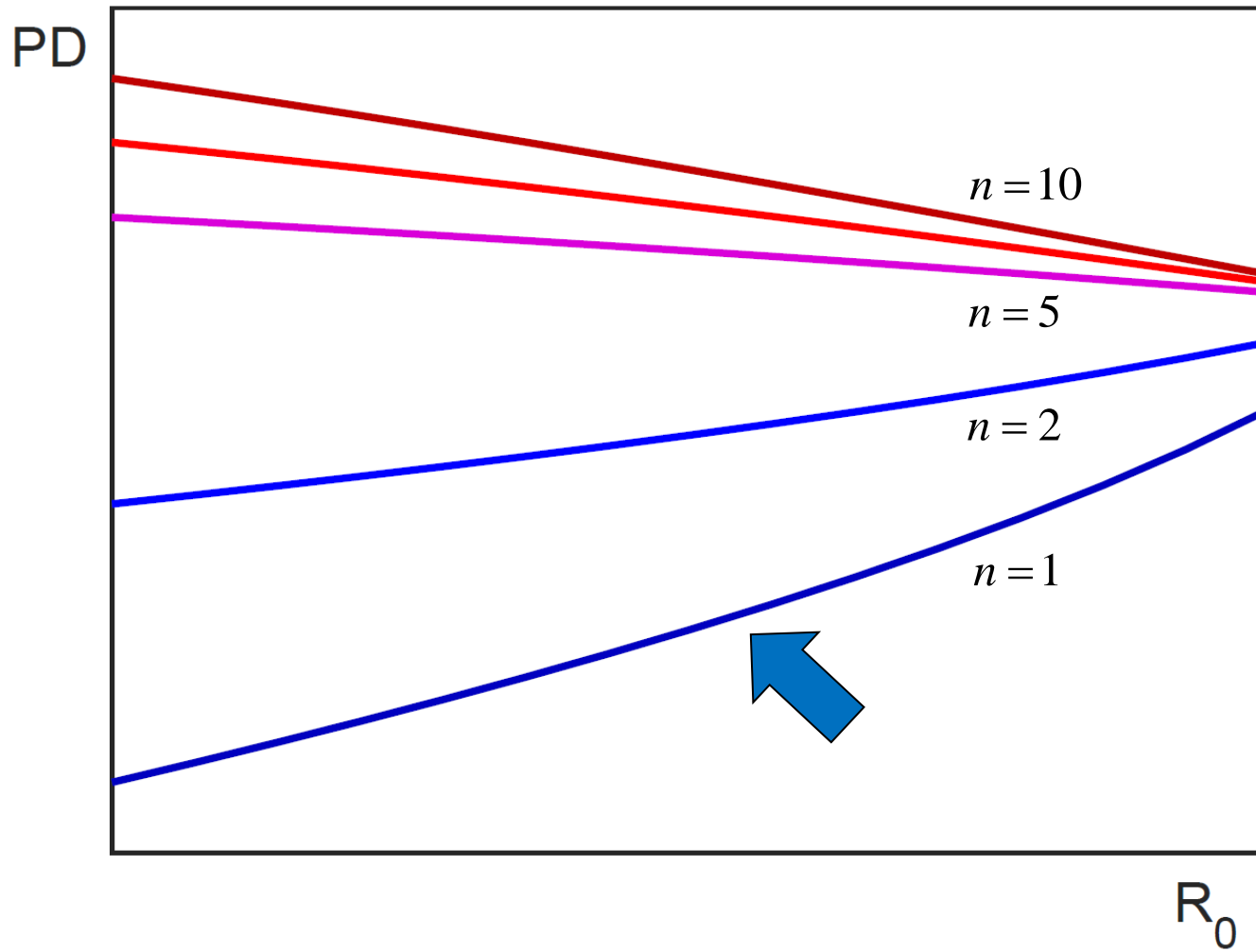
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- Higher fed funds rate implies
 - Higher margins for banks in competitive environments
 - Lower margins for banks in monopolistic environments

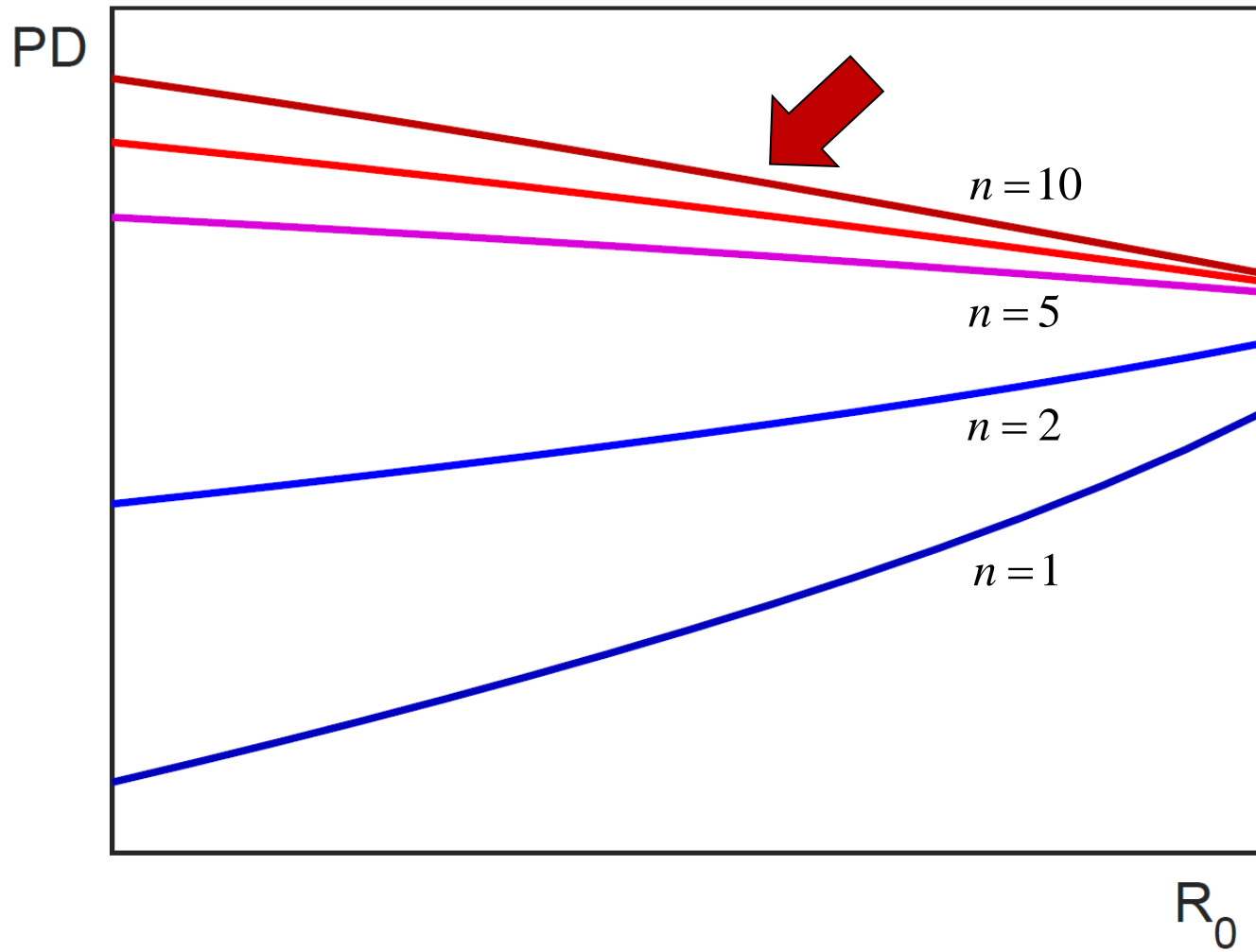
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- Higher fed funds rate implies
 - Higher margins for banks in competitive environments
 - Lower margins for banks in monopolistic environments
- Since risk-taking is driven by intermediation margins
 - **Evidence is consistent with our key result**

Positive slope in monopolistic environments



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Literature

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- Main reference
 - Martinez-Miera and Repullo (ECTA 2017)

Overview

- Cournot model of bank competition and risk-taking

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 - Heterogeneous monitoring costs
 - Insured deposits
 - Endogenous deposit rates

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- Concluding remarks

Part 1

Cournot model of bank competition

Model setup

- Two dates ($t = 0, 1$)
- Three types of risk-neutral agents
 - **Entrepreneurs** have projects that require bank finance
 - **Banks** have to raise funds from (uninsured) investors
 - **Investors** require expected return R_0 (the safe rate)

Entrepreneurs (i)

- Continuum of penniless entrepreneurs have risky projects

$$\text{Unit investment} \rightarrow \text{Return} = \begin{cases} R, & \text{with prob. } 1 - p + m \\ 0, & \text{with prob. } p - m \end{cases}$$

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→ **Monitoring reduces probability of failure**

Entrepreneurs (ii)

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$$R(L) = a - bL$$

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→ $R(L)$ is the inverse loan demand function

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- **Assumption 3:** Bank monitoring is not contractible
 - Moral hazard problem between banks and investors

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- Three stages

1. Each bank j sets supply of loans l_j

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3. Bank j (privately) chooses monitoring intensity m_j

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 - Stages 2 and 3 first, and then stage 1

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 - Write $B_j = B(L)$ and $m_j = m(L)$

Characterization of equilibrium (i)

- Banks' choice of monitoring (given borrowing rate $B(L)$)

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- Two equations with two unknowns

→ Solution gives $B(L)$ and $m(L)$

Proposition 1

- Banks' choice of monitoring

$$m(L) = \frac{1}{2\gamma} \left[R(L) - \gamma(1-p) + \sqrt{[R(L) + \gamma(1-p)]^2 - 4\gamma R_0} \right]$$

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→ **Monitoring intensity is proportional to margin**

Characterization of equilibrium (iii)

- Banks' profits per unit of loans

$$\pi(L) = [1 - p + m(L)][R(L) - B(L)] - c(m(L))$$

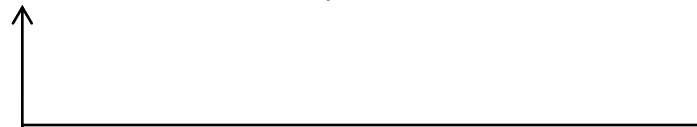
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→ Equilibrium total lending $L^* = nl^*$

Proposition 2

- A decrease in safe rate R_0 leads to an increase in total lending L^*
→ Lower rates are always expansionary

Risk-taking channel of monetary policy (i)

- Effect of changes in safe rate R_0 on equilibrium monitoring m^*

$$\frac{dm^*}{dR_0} = \frac{\partial m^*}{\partial L^*} \frac{\partial L^*}{\partial R_0} + \frac{\partial m^*}{\partial R_0}$$

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- Second term: *funding rate effect*

→ Higher safe rates increase borrowing costs

→ Decrease intermediation margin

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- The sign of the effect depends on the number of banks n

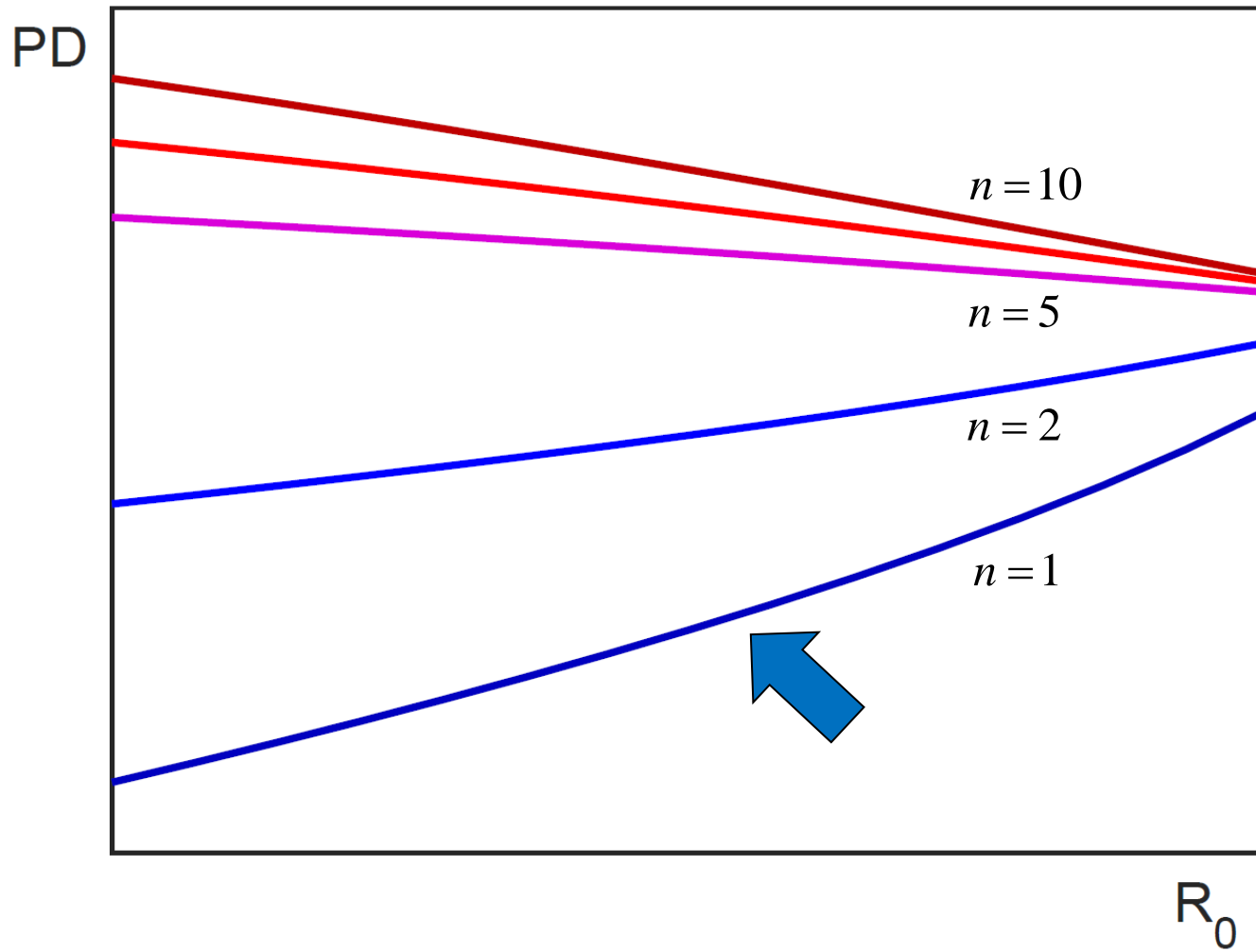
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- Under monopoly ($n = 1$) a decrease in safe rate R_0 leads to
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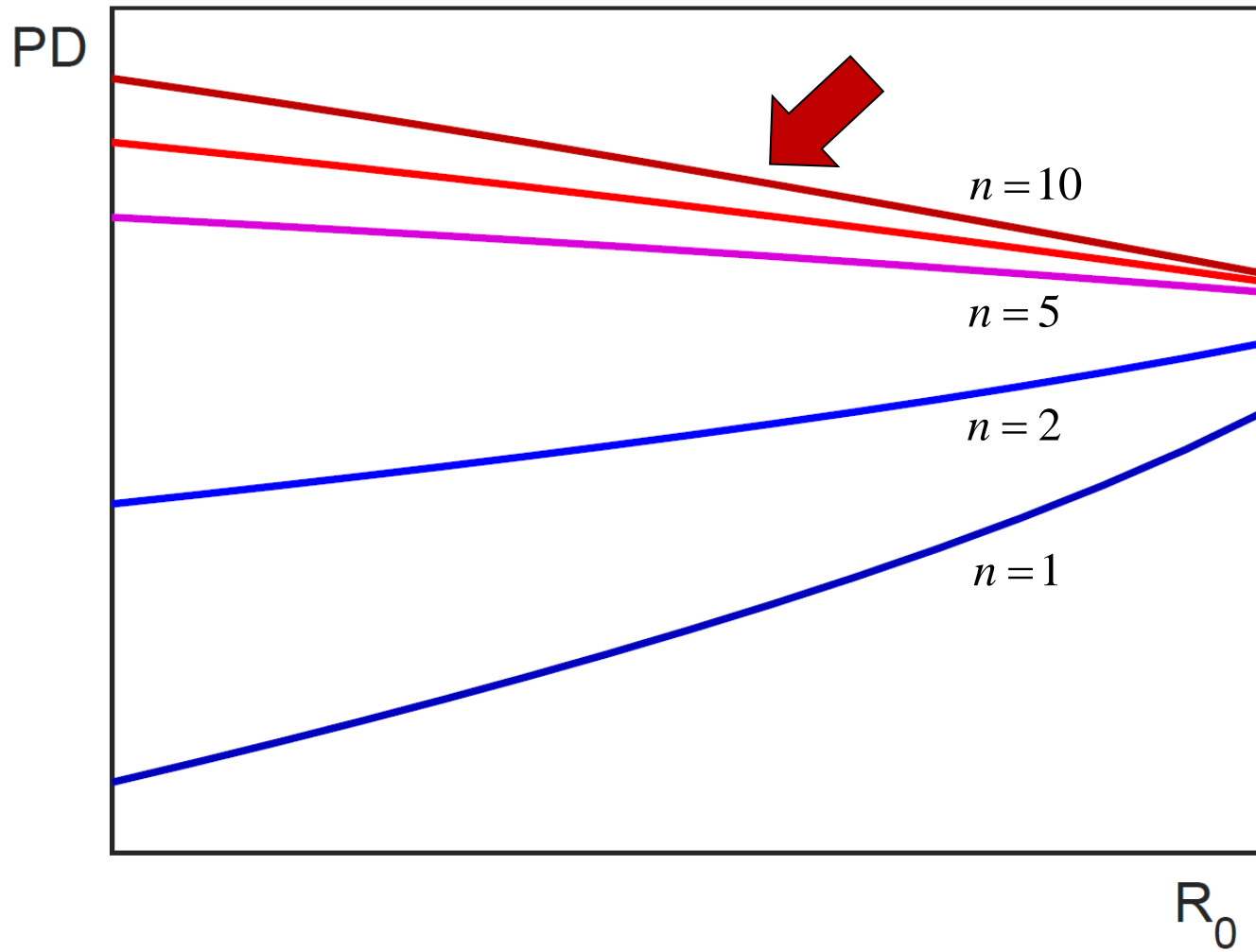
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 - a decrease in the probability of loan default $PD = p - m^*$
- Under competition ($n \rightarrow \infty$) a decrease in safe rate R_0 leads to
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 - an increase in the probability of loan default $PD = p - m^*$

Positive slope in monopolistic environments



Negative slope in competitive environments



What's the intuition?

- Refer to literature on **pass-through** in Cournot oligopoly
- With competition lower costs have little impact on margins
 - As loan rates are very sensitive to changes in safe rate
 - In our case margins (and monitoring) go down
 - Riskier banks

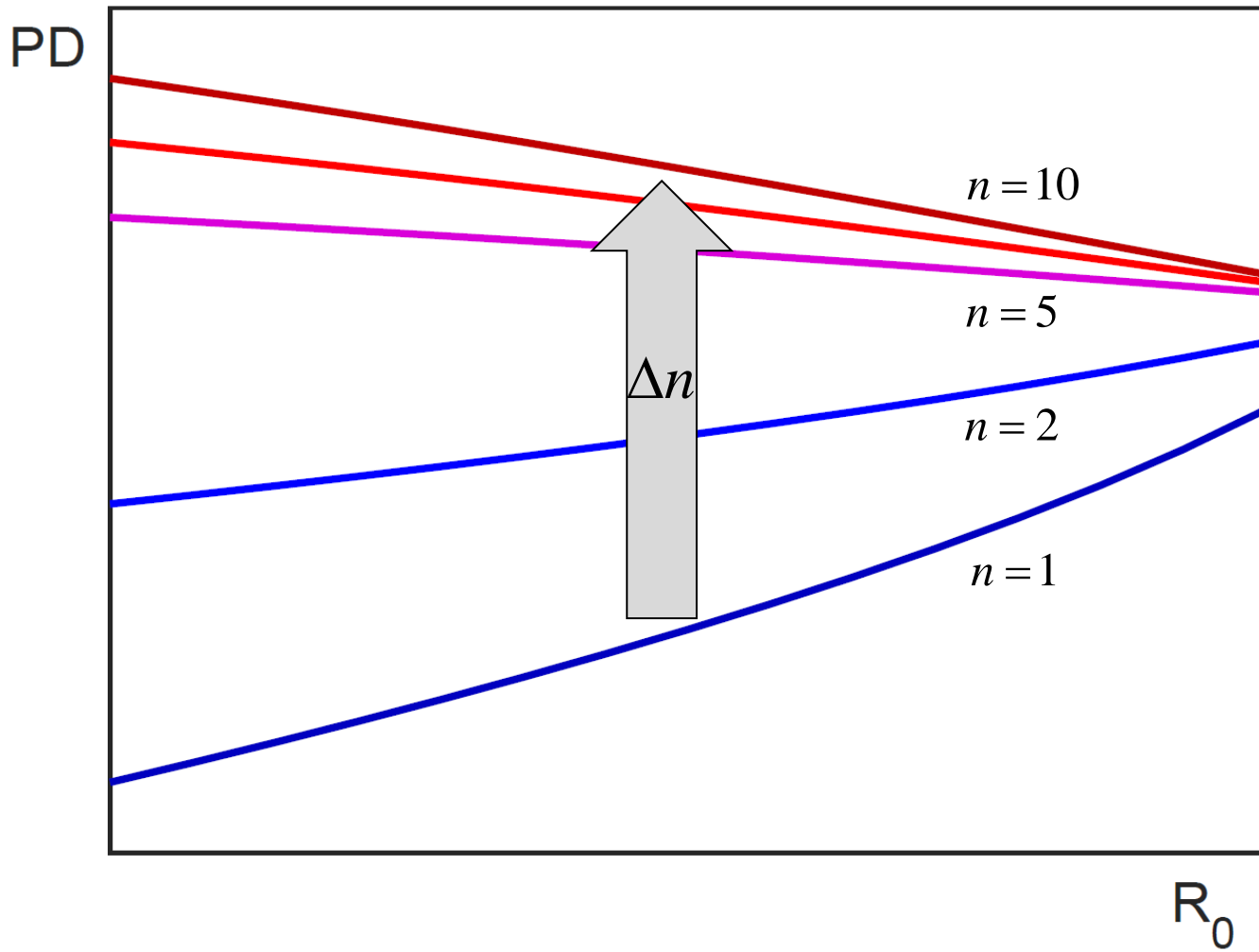
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 - As loan rates are very sensitive to changes in safe rate
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 - Riskier banks
- With monopoly lower costs have large impact on margins
 - As loan rates do not react much to changes in safe rate
 - In our case margins (and monitoring) go up
 - Safer banks

Summing up

- Competition increases banks' risk-taking
 - Standard “charter value” result

Higher risk in competitive environments



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- Competition increases banks' risk-taking
 - Standard “charter value” result
- With high competition lower rates **increase** banks' risk-taking
 - “Search for Yield” result

Summing up

- Competition increases banks' risk-taking
 - Standard “charter value” result
- With high competition lower rates **increase** banks' risk-taking
 - “Search for Yield” result
- With low competition lower rates **decrease** banks' risk-taking
 - Novel result

Part 2

Model with a competitive bond market

Introducing market finance

Intermediated finance



Introducing market finance

Intermediated finance



Direct market finance

Introducing market finance

- Suppose that entrepreneurs can also borrow from the market
 - Bond financing (directly provided by investors)

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- Suppose that entrepreneurs can also borrow from the market
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- Assume that market finance entails no monitoring
 - Market interest rate R_M satisfies zero profit condition

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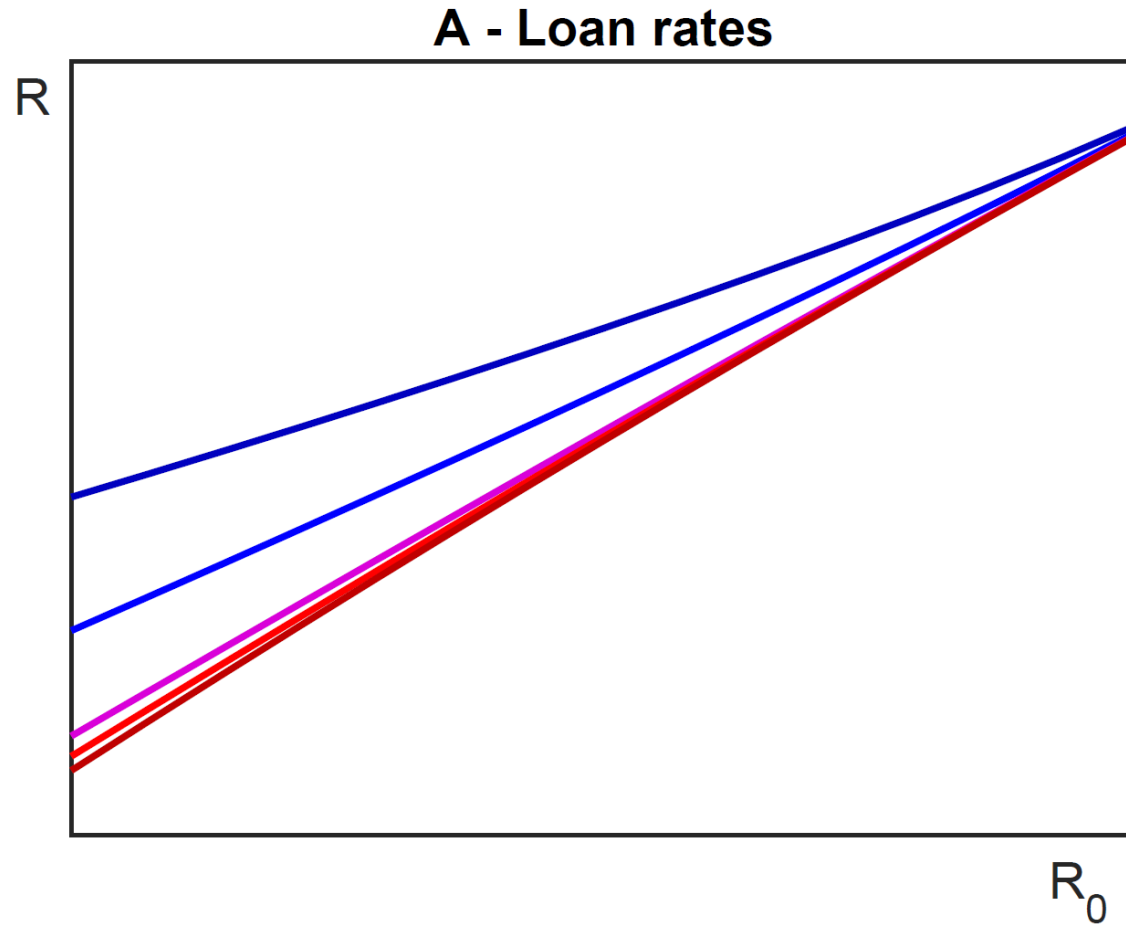
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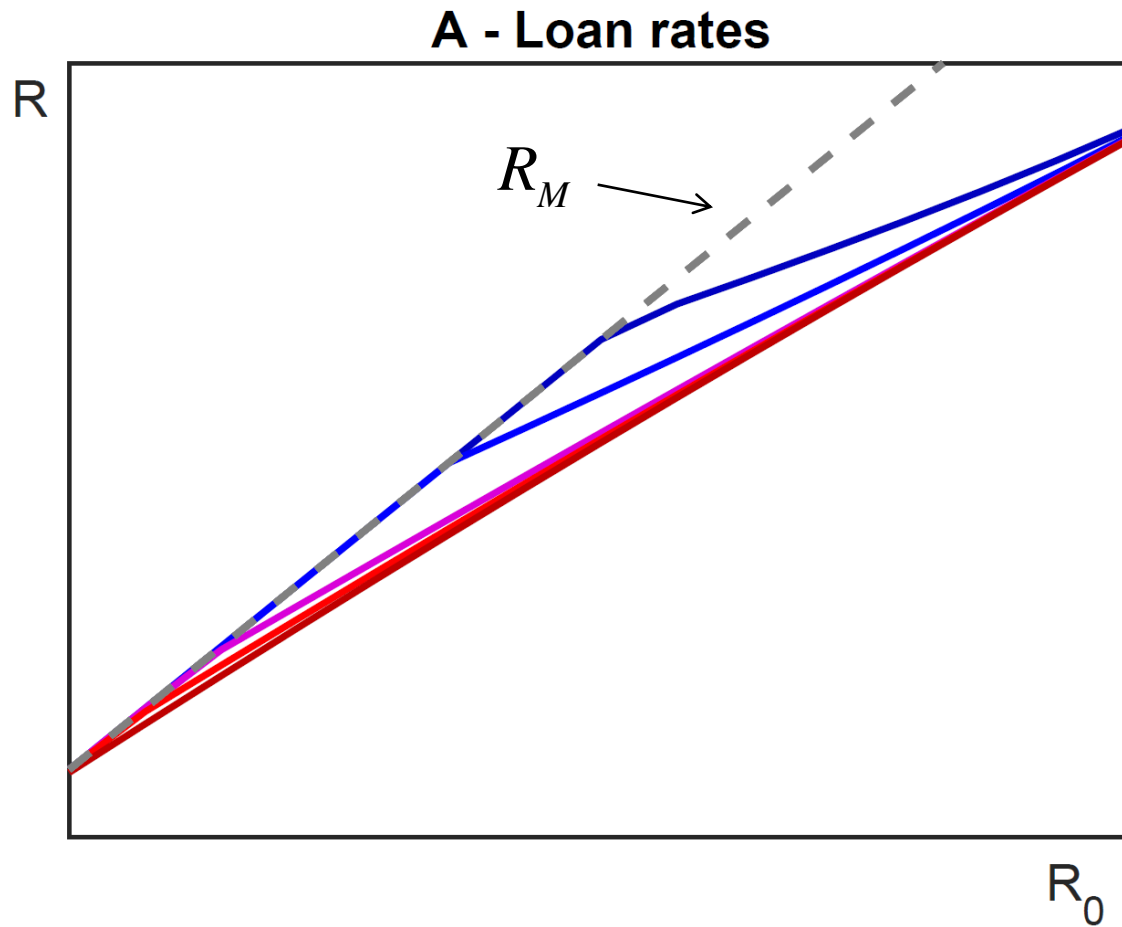
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- Upper bound on the rate that banks can charge
- **When will the bound be binding?**

Effect of market finance on loan rates



Effect of market finance on loan rates



Characterization of binding equilibrium

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$$R_M = R(L_M)$$

- Equilibrium characterized by

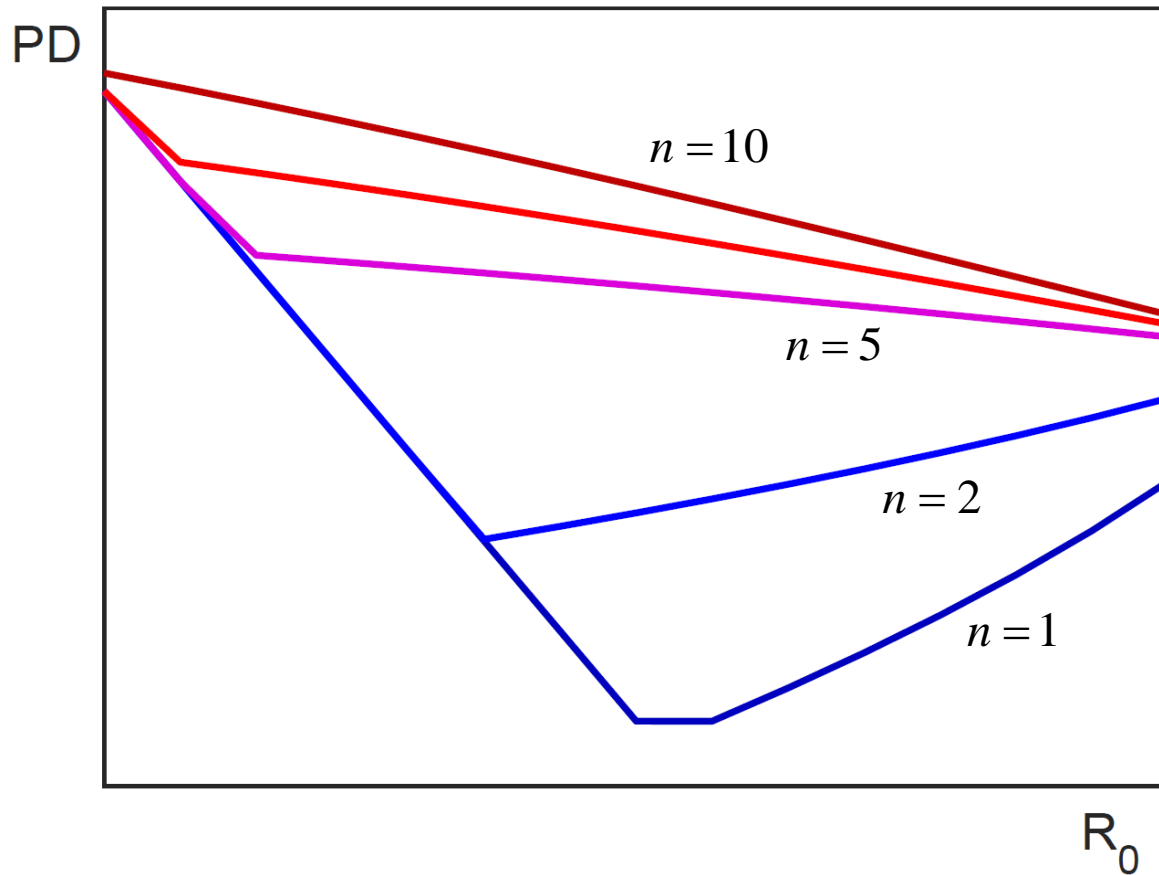
→ Banks' choice of monitoring

$$m(B) = \arg \max_m [(1 - p + m)(R_M - B) - c(m)]$$

→ Investors' participation constraint

$$[1 - p + m(B)]B = R_0$$

Effect of market finance on risk-taking



Summing up (i)

- Competition with bond market
 - Limits bank's market power
 - Reduces equilibrium loan rates and intermediation margins
 - Reduces monitoring and increases banks' risk-taking

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- Competition with bond market
 - Limits bank's market power
 - Reduces equilibrium loan rates and intermediation margins
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- Constraint is binding when interest rates are low
 - In such case **lower rates increase banks' risk-taking**

Summing up (ii)

- In monopolistic markets
 - U-shaped relationship between safe rates and risk-taking
 - Decreasing for low rates (when constraint is binding)
 - Increasing for high rates (when constraint is not binding)

Part 3

Dynamic model with bank capital

Endogenous leverage and charter values

- What happens when banks can adjust their leverage?
 - In response to changes in safe rate
 - Dell'Ariccia et al. (2014)

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 - Excess cost of capital $\delta > 0$

Structure of the game (i)

- Four stages at each date t

1. Each bank j sets supply of loans l_j

→ This determines total supply of loans $L = \sum_{j=1}^n l_j$

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 2. Bank j chooses its capital per unit of loans k_j
 3. Bank j offers interest rate B_j to outside investors
 4. Bank j (privately) chooses monitoring intensity m_j

Structure of the game (ii)

- With probability $p - m_j$ bank j fails in which case
 - It loses its charter value
 - A new bank enters the market

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- When excess cost of capital $\delta = 0$
 - Banks will be fully funded with equity capital ($k = 1$)

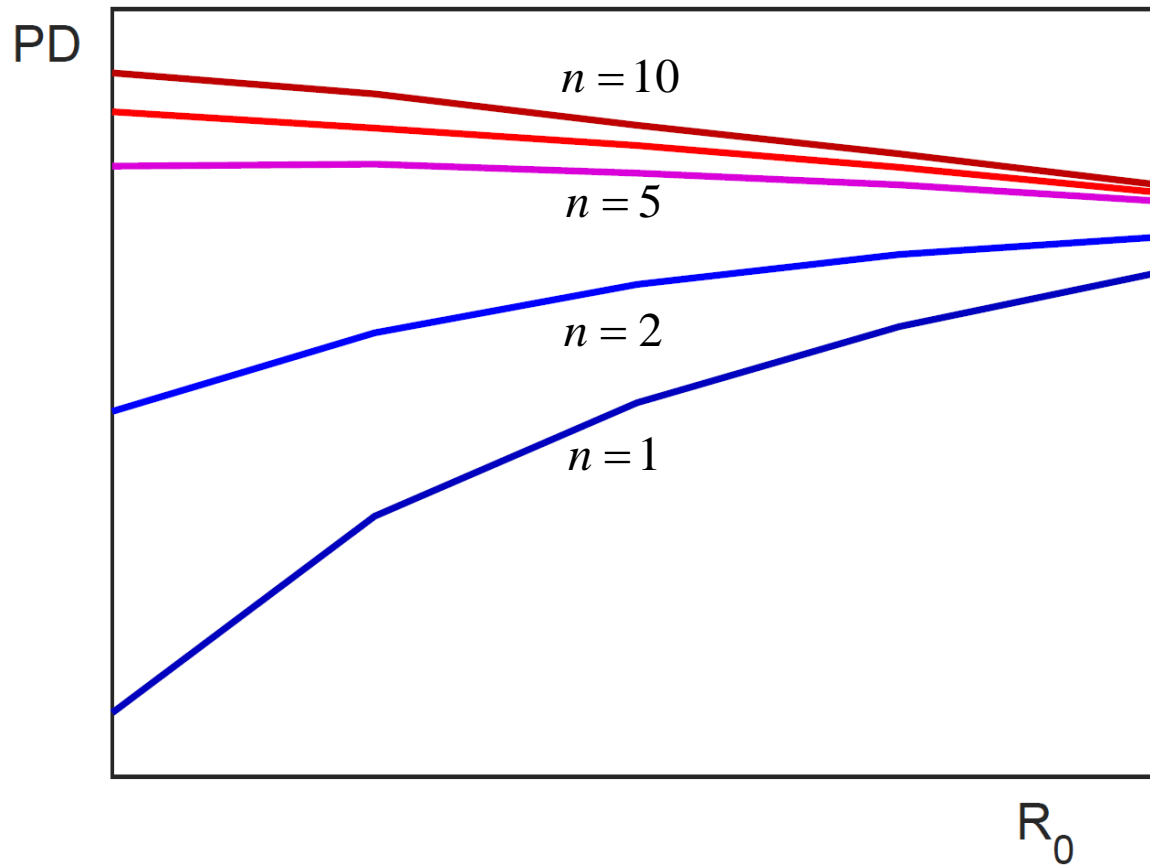
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- When excess cost of capital $\delta = 0$
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 - Same qualitative results as in benchmark model

Zero excess cost of capital



Two limit cases (ii)

- When excess cost of capital $\delta \rightarrow \infty$
 - Banks will have no equity capital ($k = 0$)

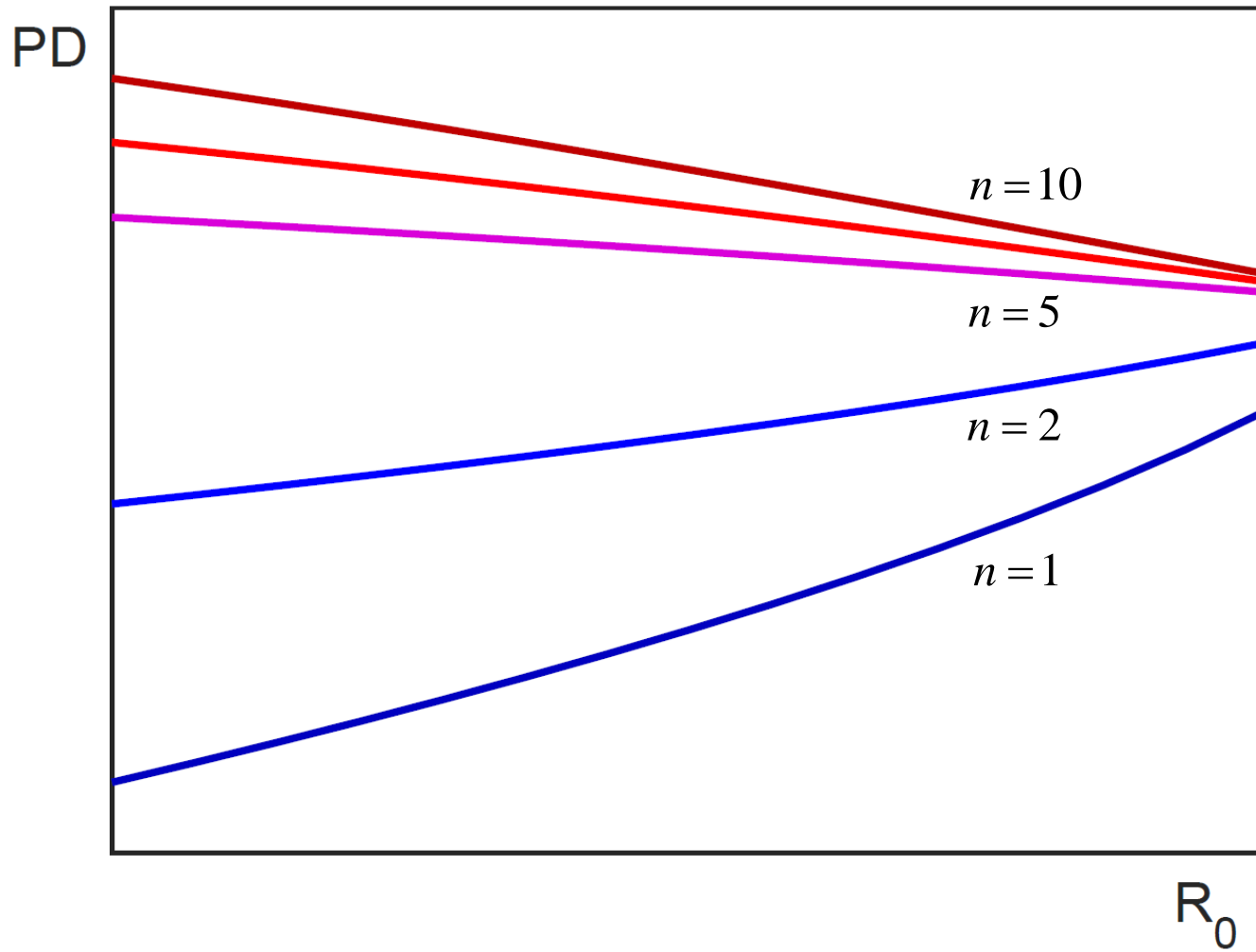
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 - Identical to (static) benchmark model

Infinite excess cost of capital



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 - Solve stage 1 to get Cournot equilibrium lending L
using Bellman equation for charter value V

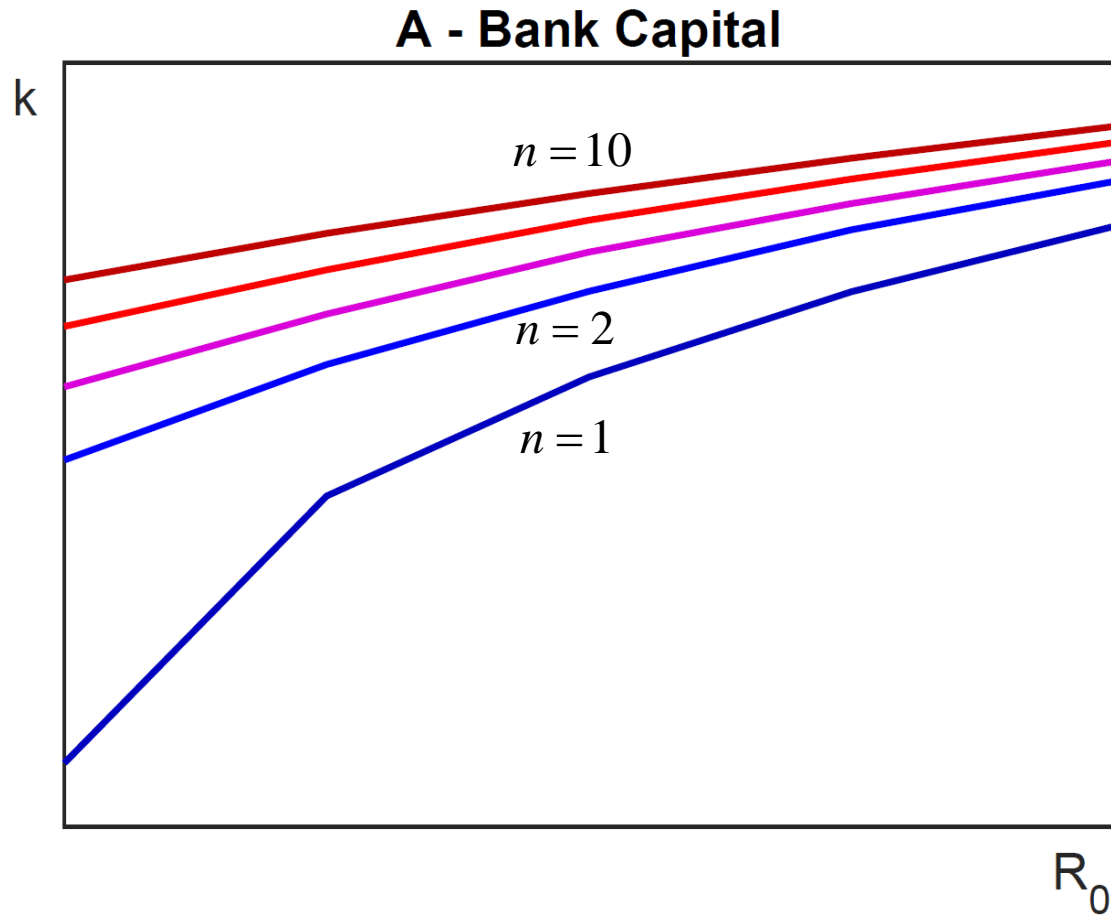
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Leverage effect



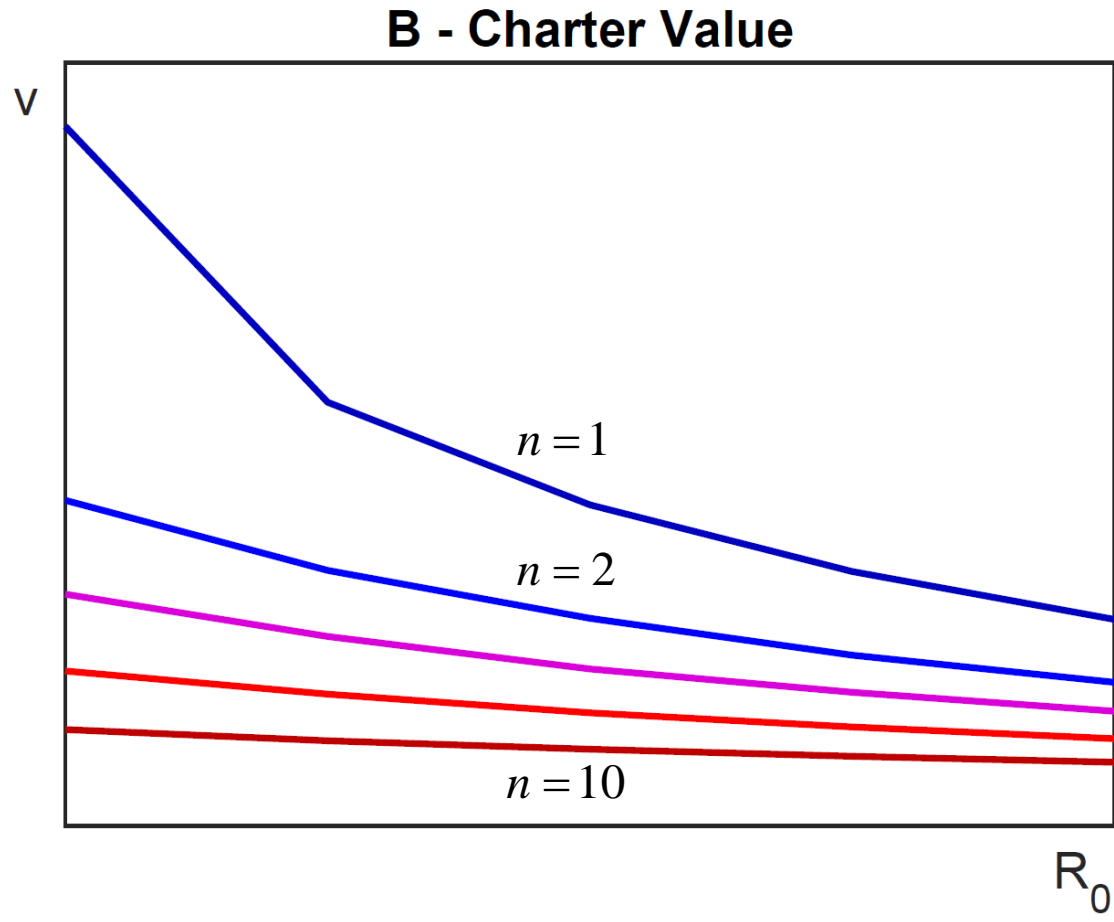
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- Lower safe rate R_0 leads to
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- Lower safe rate R_0 leads to
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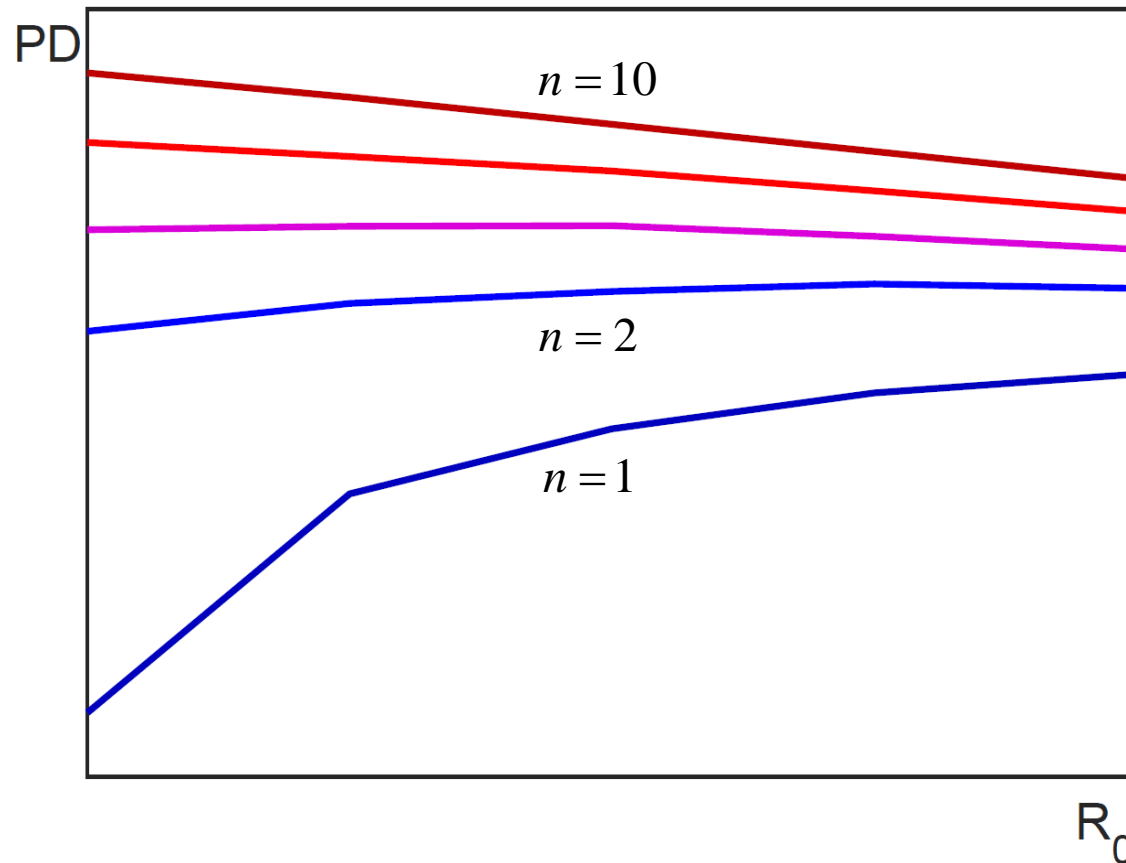
Charter value effect



Endogenous leverage (ii)

- Lower safe rate R_0 leads to
 - Lower capital per unit of loans k – **leverage effect**
 - Lower skin in the game and higher risk-taking incentives
- Lower safe rate R_0 leads to
 - Higher charter value V – **charter value effect**
 - Higher survival payoff and lower risk-taking incentives
- Which effect dominates?
 - Depends on the number of banks n

Positive excess cost of capital: risk-taking



Summing up

- Dynamic model with costly equity capital
 - Bank failure entails losing charter
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- Dynamic model with costly equity capital
 - Bank failure entails losing charter
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 - Higher leverage and higher risk-taking
 - Higher charter values and lower risk-taking
 - Charter value effect dominates when n is small

Part 4

Three extensions

Three extensions

- Back to static benchmark model
 - No inside equity capital and no charter values
- Extensions
 - Heterogeneous monitoring costs
 - Insured deposits
 - Endogenous deposit rates

Part 4a

Heterogeneous monitoring costs

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- Two observable types of banks: high and low monitoring costs

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 - Market share of high cost banks increases
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 - Average PD goes up (because of composition effect)
- Results closer to model with low market power

Part 4b

Insured deposits

Insured deposits

- With insured deposits banks are funded at safe rate: $B(L) = R_0$
→ Simpler model

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Insured deposits

- With insured deposits banks are funded at safe rate: $B(L) = R_0$
 - Simpler model
- Main results
 - Lower safe rates always lead to higher margins
 - Lower probability of default
- Results similar to model with high market power

Part 4c

Endogenous deposit rates

Cournot competition in deposit market

- Introduce linear inverse supply function of deposits

Cournot competition in deposit market

- Introduce linear inverse supply function of deposits
- Cournot competition for deposits and loans
 - Balance sheet constraint $l_j = d_j$

Cournot competition in deposit market

- Introduce linear inverse supply function of deposits
- Cournot competition for deposits and loans
 - Balance sheet constraint $l_j = d_j$
- Similar results as those of the original model
 - With high competition lower rates increase risk-taking
 - With low competition lower rates decrease risk-taking

Concluding remarks

Concluding remarks (i)

- Market structure shapes effect of safe rates on financial stability
 - With high competition: lower rates imply riskier banks
 - With low competition: lower rates imply safer banks

Concluding remarks (i)

- Market structure shapes effect of safe rates on financial stability
 - With high competition: lower rates imply riskier banks
 - With low competition: lower rates imply safer banks
- Results are consistent with “charter value” hypothesis
 - Competition always increases banks’ risk-taking

Concluding remarks (ii)

- Results show that you can have higher credit and lower risk
- When banks have significant market power
 - Lower rates increase lending and decrease risk-taking
 - No trade-off between credit and financial stability

Testable implications (i)

- Model yields key testable implication

$$\text{Risk} = \alpha + \underset{-}{\beta_0 R_0} + \underset{-}{\beta_1 HHI} + \boxed{\underset{+}{\beta_2 R_0 * HHI}} + \text{Controls}$$

→ where $HHI = \text{Herfindahl index} = 1/n$

Testable implications (ii)

- Other testable implications

→ Nonlinear effect of direct market finance

$$Risk = \alpha + \beta_0 R_0 + \beta_1 HHI + \beta_2 R_0 * HHI + \beta_3 R_0^2 * HHI + \beta_4 R_0 * D + \text{Controls}$$

- - - + +

Testable implications (ii)

- Other testable implications

→ Nonlinear effect of direct market finance

→ Effect of proportion D of insured deposits

$$Risk = \alpha + \beta_0 R_0 + \beta_1 HHI + \beta_2 R_0 * HHI + \beta_3 R_0^2 * HHI + \beta_4 R_0 * D + \text{Controls}$$

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